

spock - Detecting Errors in Logic Programs under the Answer-Set Semantics: System Description*

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Abstract. Answer-set programming (ASP) is an emerging logic-programming paradigm, which strictly separates the description of a problem from its solutions. Despite its semantic elegance, ASP suffers from a lack of comfort for software developers. In particular, tools are needed which support engineers in detecting erroneous parts of their programs. Unlike in other areas of logic programming, applying tracing techniques for debugging logic programs under the answer-set semantics seems rather unnatural, since sticking to imperative solving algorithms would undermine the declarative flavor of ASP.

In this system description, we present the system *spock*, a debugging support tool for answer-set programs making use of ASP itself. The implemented techniques maintain the declarative nature of ASP within the debugging process and are independent from the actual computation of answer sets.

1 General Information

Answer-set programming (ASP) [3] has become an important logic-programming paradigm for declarative problem solving, which incorporates fundamental concepts of non-monotonic reasoning. The non-monotonicity of answer-set programs, however, is an aggravating factor for detecting sources of errors, since every rule of a program might significantly influence the resulting answer sets.

The system *spock* [2] supports developers of answer-set programs to detect and locate errors in their programs, independent of specific ASP solvers.

The theoretical background of the implemented methods was introduced in previous work [1], and exploits and extends a *tagging technique*, as used by Delgrande et al. [4] for compiling ordered logic programs into standard ones. In our approach, a program to debug, Π , is translated into another program, $\mathcal{T}_K[\Pi]$, equipped with specialized meta-atoms, called *tags*, serving two purposes. Firstly, they allow for controlling and

* This work was partially supported by the Austrian Science Fund (FWF) under project P18019.

manipulating the formation of answer sets of Π and secondly, tags occurring in the answer sets of the translated program reflect various properties of Π .

In addition to \mathcal{T}_K , `spock` is devised to support supplementary translations for a program to debug Π , allowing an extrapolation of non-existing answer sets in combination with explanations why an interpretation is not an answer set of Π .

2 System Specifics

Our debugging system `spock` implements several transformations for debugging propositional normal logic programs, involving the tags `ap`, `bl`, `ok`, `ko`, `abp`, `abc`, and `abl`. The basic measure of tagging is to split up the rules of an original program, into their heads and bodies, separating the causal relation between the satisfaction of a rule body from the occurrence of the respective heads in an interpretation.

One task of tags is providing information about the program to debug Π . E.g., there is a one-to-one correspondence between the answer sets of Π and the answer sets of $\mathcal{T}_K[\Pi]$, such that an answer set of the translated program contains either tag `ap(l_r)` or tag `bl(l_r)`, for each rule $r \in \Pi$, where l_r is a unique label for r , thus providing information whether r is applicable or blocked in the related answer set of Π . As an example consider program $\Pi_{\text{ex}} = \{r_1 = a \leftarrow b, r_2 = b \leftarrow \text{not } c, r_3 = c \leftarrow \text{not } a\}$, having the answer sets $\{a, b\}$ and $\{c\}$. Then the answer sets of the transformed program $\mathcal{T}_K[\Pi_{\text{ex}}]$ are given by $\{a, b, \text{ap}(n_{r_1}), \text{ap}(n_{r_2}), \text{bl}(n_{r_3})\} \cup OK$ and $\{c, \text{ap}(n_{r_3}), \text{bl}(n_{r_1}), \text{bl}(n_{r_2})\} \cup OK$, where $OK = \{\text{ok}(n_{r_1}), \text{ok}(n_{r_2}), \text{ok}(n_{r_3})\}$. From these we gain the information that, e.g., the rule labeled n_{r_1} is applicable under answer set $\{a, b\}$, and blocked under $\{c\}$.

Apart from being used for analyzing Π and its answer sets, tagging provides a handle on the formation of answer sets of Π . By joining the translated program with rules involving control tags `ko(l_r)`, and `ok(l_r)`, rule $r \in \Pi$ can selectively be deactivated.

This feature can be utilized by more advanced debugging modules, based on our kernel transformation \mathcal{T}_K , which are not restricted to analyzing actual answer sets of Π . In particular `spock` features program translations for investigating, why a particular interpretation I is not an answer set of program Π . Here, three sources of errors are identified on the basis of Lin-Zhao Theorem [6]. Reasons for I not being an answer set are either related to the program, its completion, or its non-trivial loop formulas, respectively. According to this error classification, we distinguish between three corresponding *abnormality* tags, `abp`, `abc`, and `abl`, which may occur in the answer sets of the transformed program. The program-oriented abnormality tag `abp(n_r)` indicates that rule $r \in \Pi$ is applicable but not satisfied with respect to the considered interpretation I , the completion-oriented abnormality tag `abc(a)` is contained whenever atom a is in I but all rules having a as head are blocked. Finally, the presence of a loop-oriented abnormality tag `abl(a)` indicates the possible existence of some loop Γ in Π , $a \in \Gamma$, that is unfounded with respect to I .

As the number of interpretations for a program grows exponentially in the number of occurring atoms, we use standard optimization techniques of ASP to reduce the amount of debugging information, focusing on answer sets of the tagged program, which involve a minimum number of abnormality tags.

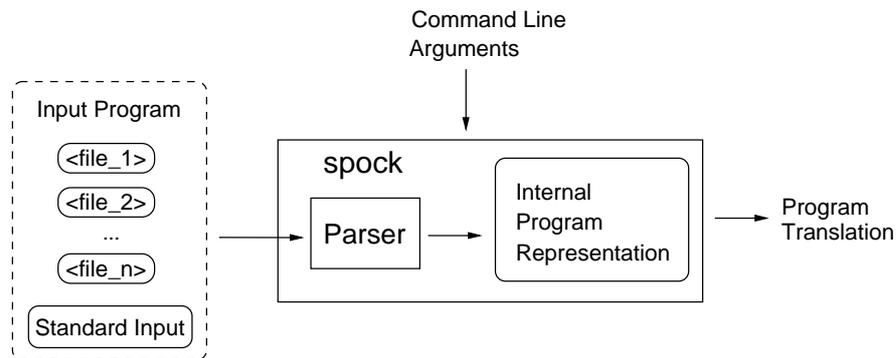


Fig. 1. Data flow of program translations.

The transformations to be applied are chosen by setting call parameters. Fig. 1 illustrates the typical data flow of program translations with `spock`. The tool is written in Java 5.0 and published under the GNU General Public License [7]. It can be used either with DLV [8] or with `Smodels` [5] (together with `lparse`) and is available at

<http://www.kr.tuwien.ac.at/research/debug>

as a jar-package including binaries and sources.

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